

1. The calculus can be used to find where a function f is increasing by finding where
----- **the derivative is positive** -----
2. The calculus can be used to find where a function f is concave upward by finding where
----- **the second derivative is positive** -----
3. The second derivative test says that the point $(c, f(c))$ is a relative maximum of $f(x)$ if
___ **$f'(c) = 0$** ___ and ___ **$f''(c) < 0$** ___ .
4. A good place to look for inflection points is where
----- **the second derivative is zero** -----
5. The calculus can be used to find where a function f is decreasing by finding where
----- **the derivative is negative** -----
6. The absolute maximum of a differential function on a closed interval occurs at either
___ **the critical numbers** ___ or at ___ **the end points** ___ .
7. If $f'(3) = 2$ you can expect $f(x)$ to be ___ **concave upward** ___ at $x = 3$.
8. One can estimate the value of the derivative of a function from its graph because the derivative is the
___ **slope of the tangent line** ___ .
9. If the derivative of $f(x)$ is negative on the entire interval $(2,4)$ then the function $f(x)$ is
----- **decreasing on the interval (2,4)** -----
10. If the derivative of the continuous function $f(x)$ changes from negative to positive at $x = 3$ then
----- **$f(3)$ is a relative minimum for $f(x)$** -----
11. If the second derivative of the continuous function $f(x)$ changes from negative to positive at $x = 3$ then
----- **$(3, f(3))$ is an inflection point of $f(x)$.** -----